

## 5. Computation of the Rotary Stroke Bearing

### 5.2 Loading capacity with radial load

The radial load of a rotary stroke bearing is determined by the position of the point of application of the radial force  $P_R$  in relation to the center of the contact length  $e$ .

The radial force  $P_R$  can also be the resultant of several forces. The forms of radial load illustrated below depend on the position of the point of application of the force.

The illustrations shown below take into account the deflection of the rotary stroke bearing under load which results from the elastic deformation of the balls and rolling faces of the guide bush and shaft. The axes of the guide bush and shaft are assumed to be rigid. The deflection of the shaft must therefore be incorporated into the calculation if necessary.

#### Load of the rotary stroke bearing by

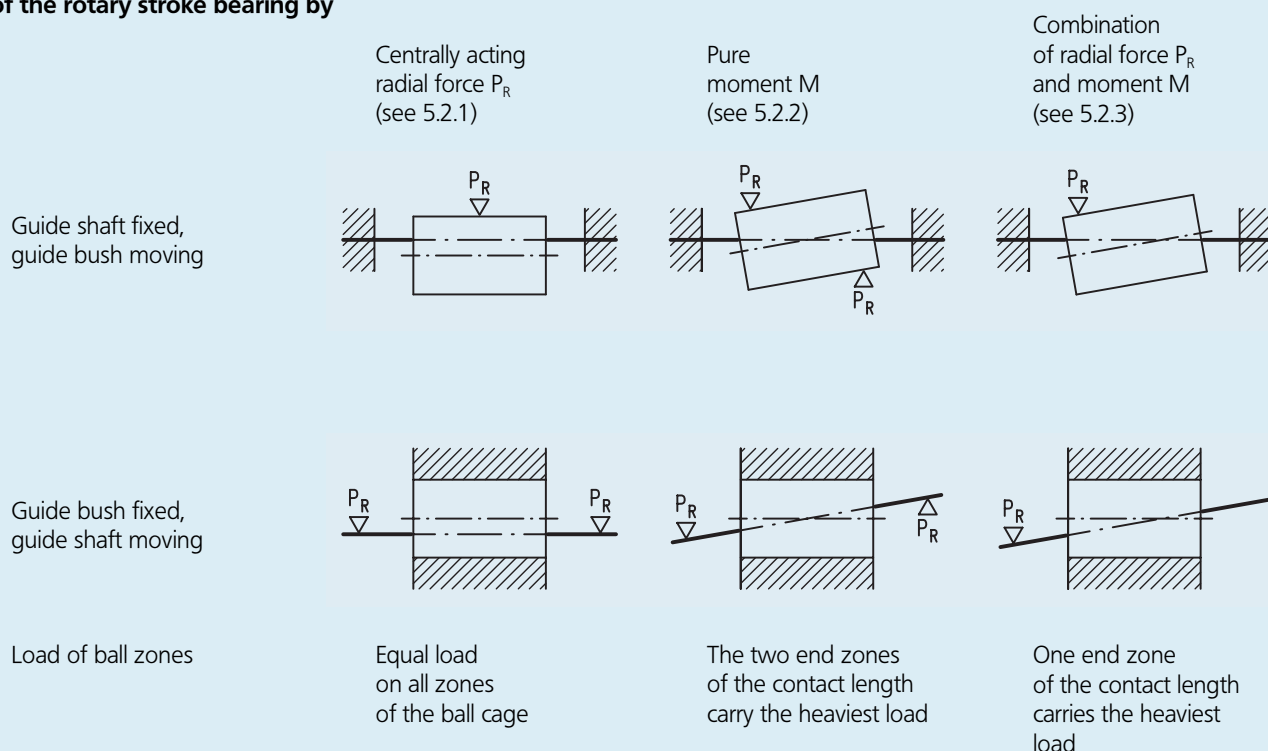


Fig. 22

The static radial load can take different forms:

1. The radial load is constant and evenly distributed and corresponds to a centrally acting radial force  $P_R$ .
2. The radial load is distributed unevenly over the length. In certain special cases, it comprises a pure moment  $M$ .

The various forms of radial load lead to different stresses on the individual ball zones. Computation of the loading capacity is based on the determination of the highest portion of radial force  $P_{10}$  of a ball zone 10 mm long. The relationships between the external load  $P_R$  or  $M$  and this specific radial force  $P_{10}$  are given below for various forms of static radial load.

The elastic deformation of the ball zones results in a deformation of the rotary stroke bearing axis. The elastic deformation of the individual ball zones varies depending on the load. With a specific radial force  $P_{10}$ , the radial deflection of the axis of the 10 mm ball zone which is under maximum load is defined as the specific deflection  $A_{10}$ . This value can be used to calculate the shaft deflection which can be expected at the force application point A.

#### 5.2.1 Uniform constant radial load

The radial force portion of every 10 mm ball zone is:

$$P_{10} = \frac{P_R}{e} \cdot 10 \text{ [N]} \quad P_R \text{ in N, contact length } e \text{ in mm}$$

The expected parallel displacement of the axis is:

$$A_{10} = P_{10} \cdot R_{10} \text{ [\mu m]} \quad P_{10} \text{ in N, } R_{10} \text{ in } \mu\text{m/N from table (Fig. 27 or 28).}$$